



# **The Physics of Electroweak-scale right-handed neutrinos**

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- **If they are not sterile**  $\Rightarrow$  A fertile land of potential discoveries! PQH, Phys. Lett B649, 275 (2007), NP B 805, 326 (2008)...
- For this, one needs to introduce the concept of *Mirror Fermions*.
- **Bottom-up approach**: Enlarge the SM one step at a time and see what happens.

# Mirror fermions

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- **Doublet:**

$$l_L = \begin{pmatrix} \nu_e \\ e \end{pmatrix}_L \leftrightarrow l_R^M = \begin{pmatrix} \nu_R^M \\ e_R^M \end{pmatrix}_i$$

Singlet:

$$e_R \leftrightarrow e_L^M$$

Similarly for the quarks.

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- Parity can be restored at high energy above the electroweak scale  $\Lambda_{EW} \sim 246 \text{ GeV}$  either by enlarging the SM gauge group to e.g.  $SU(2)_L \times SU(2)_R \times U(1)$  or by introducing **mirror fermions**.

# Mirror fermions: Why?

• In Left-Right models,  $l_L = \begin{pmatrix} \nu_e \\ e \end{pmatrix}_L \in SU(2)_L$

and  $l_R = \begin{pmatrix} \nu_e \\ e \end{pmatrix}_R \in SU(2)_R$

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- With  $g_L = g_R$  and at  $E \gg M_{W_R} \gg M_{W_L}$ , the V-A interactions (exchanges of  $W_L$ ) have **equal strengths** as the V+A interactions (exchanges of  $W_R$ )  $\Rightarrow$  Parity is “restored” in that sense.

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- At  $E \gg M_{mirror}$ , the W and Z bosons cannot distinguish SM from mirror fermions  $\Rightarrow$   $SU(2)_L$  becomes “vector-like”  $\Rightarrow$  Parity is “restored” in that sense.

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- The electroweak phase transition (from  $\phi^0 = 0$  to  $\phi^0 = v/\sqrt{2}$ ) is essentially a *non-perturbative* phenomenon.
- *Non-perturbative* instanton solution in the SM at high temperature  $\Rightarrow$  baryon-number violating **sphaleron process**. Very relevant to the problem of the baryon asymmetry of the universe!

# Mirror fermions: Why?

- The appropriate framework to study *Nonperturbative phenomena* such as the electroweak phase transition (from  $\phi^0 = 0$  to  $\phi^0 = v/\sqrt{2}$ ) and related physics (“sphaleron”, etc...) is *lattice regularization*. *Impossible* to put a chiral gauge theory such as  $SU(2)_L \times U(1)_Y$  on a lattice! A *gauge-invariant* lattice formulation of the SM is possible if one introduces *mirror fermions* (Montvay, PLB 199, 89 (1987)).

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- The SM, as a chiral theory, contains gauge triangle anomalies which breaks gauge invariance. Renormalizability of the SM  $\Rightarrow$  Cancellation of the triangle anomalies. Most typically, one of such cancellations is  $\sum_i Q_i = 0$  for each family. For example:  
$$-1 + 3 \times (2/3 - 1/3) = 0.$$

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- The SM augmented with mirror fermions is automatically **anomaly-free**! Left  **cancels**  right, no longer necessary between quarks and leptons! Charge quantization: a signal of quark-lepton unification?
- **Non-perturbatively**,  $SU(2)$  chiral gauge theories such as  $SU(2)_L$  suffers the so-called **Witten anomaly**: the theory is **trivial** unless the number of doublets is **even**. SM: 4 per family (one lepton and three color doublets); SM with mirrors: Not a chiral gauge theory  $\Rightarrow$  No Witten anomaly.

# Mirror fermions $\rightarrow$ EW-scale $\nu_R$

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- $l_R^{M,T} \sigma_2 l_R^M \Rightarrow \nu_R^{M,T} \sigma_2 \nu_R^M$ . Notice the transformation under  $SU(2)_L$ :  $2 \times 2 = 1 + 3$ , singlet plus triplet and  $Y/2 = -1 \Rightarrow$  Higgs (singlet or triplet) with  $Y/2 = 1$ .

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- $$g_M l_R^{M,T} \sigma_2 (i\tau_2 \tilde{\chi}) l_R^M \Rightarrow g_M (\nu_R^{M,T} \sigma_2 \nu_R^M) \chi^0$$

$\langle \chi^0 \rangle = v_M \Rightarrow$  Right-handed Majorana mass:  
 $M = g_M v_M!$

# Mirror fermions $\rightarrow$ EW-scale $\nu_R$

- How big can  $v_M$  be? Since  $\nu_R^M$  is a member of a doublet, it interacts with the Z-boson (unlike the singlet case). Value of Z-boson decay width (no more than 3 light neutral fermions)  
 $\Rightarrow M > M_Z/2 \sim 46 \text{ GeV} \Rightarrow v_M > 46 \text{ GeV}$   
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assuming  $g_M < 1$ .
- $v_M$  breaks  $SU(2)_L \times U(1)_Y$ ! It will *destroy* the relationship  $M_W = M_Z \cos \theta_W$  ( $\rho = 1$ ) unless the VEV is very small! (2nd lecture!)

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- What should we do next? What we need: doublet Higgs for charged fermion masses (quarks and leptons) and triplet Higgs for right-handed Majorana neutrino mass.
- Construct the Higgs potential for doublet and triplet Higgses such that there remains a **Custodial global  $SU(2)$  symmetry** after SSB  
 $\Rightarrow \rho = 1$  at tree level!

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- Notice the doublet Higgs can be written as

$$\Phi = \begin{pmatrix} \phi^0 & -\phi^+ \\ \phi^- & \phi^{0,*} \end{pmatrix}$$

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- $\Phi = (2, 2)$  and  $\chi = (3, 3)$ .
- $\Phi \rightarrow U_L \Phi U_R^\dagger$ ,  $\chi \rightarrow U_L \chi U_R^\dagger$ .

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- $SU(2)_L \times SU(2)_R$ -invariant potential:

$$V(\Phi, \chi) = \lambda_1(\text{Tr}\Phi^\dagger\Phi - v_2^2)^2 + \lambda_2(\text{Tr}\chi^\dagger\chi - 3v_M^2)^2 + \lambda_3(\text{Tr}\Phi^\dagger\Phi - v_2^2 + \text{Tr}\chi^\dagger\chi - 3v_M^2)^2 + \lambda_4(\text{Tr}\Phi^\dagger\Phi\text{Tr}\chi^\dagger\chi - 2\text{Tr}\Phi^\dagger T^i\Phi T^j.\text{Tr}\chi^\dagger T^i\chi T^j) + \lambda_5(3\text{Tr}\chi^\dagger\chi\chi^\dagger\chi - (\text{Tr}\chi^\dagger\chi)^2)$$

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- Proper vacuum alignment from  $\lambda_4$  term when  $\langle\chi^0\rangle = \langle\xi^0\rangle = v_M$  with  $\langle\phi^0\rangle = \frac{v_2}{\sqrt{2}}$ .

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- $\langle \chi \rangle = \begin{pmatrix} v_M & 0 & 0 \\ 0 & v_M & 0 \\ 0 & 0 & v_M \end{pmatrix}$  and  $\langle \Phi \rangle = \begin{pmatrix} v_2 & 0 \\ 0 & v_2 \end{pmatrix}$   
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- $M_W = \frac{1}{2} g v = M_Z \cos \theta_W \Rightarrow \rho = 1!$  Here  
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 $v = \sqrt{v_2^2 + 8 v_M^2} \approx 246 \text{ GeV}$
- Right-handed neutrino masses:  $M = g_M v_M$   
 $\Rightarrow M_Z/2 \sim 46 \text{ GeV} < M < 246 \text{ GeV}$ . “Narrow” range!

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 $g_{Sl} \nu_L^\dagger \phi_S \nu_R^M + H.c..$
- $\langle \phi_S \rangle = v_S \Rightarrow$  Neutrino Dirac Mass  $m_D = g_{Sl} v_S$
- $M \sim O(\Lambda_{EW} \sim 246 \text{ GeV}), m_\nu < 0.1 \text{ eV} +$   
seesaw ( $|m_\nu| = m_D^2/M$ )  $\Rightarrow m_D < 10^5 \text{ eV}$

# Mirror fermions: Dirac mass term

- If  $g_{SI} \sim O(1) \Rightarrow v_S \sim O(100 \text{ keV}) \Rightarrow$  Very light singlet scalar! (Dark Matter?) Of course, the singlet scalar mass is  $\sim \sqrt{\lambda} v_S$  with  $\lambda$  being the quartic coupling in the singlet potential and can be either lighter or heavier than that canonical value because  $\lambda$  is unknown and  $v_S$  can be **different** from  $O(100 \text{ keV})$ .

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- Cosmological consequences of electroweak-scale right-handed neutrinos and the singlet scalar field discussed in 4th lecture.

# GUT vs Electroweak scale seesaw

- GUT scale:

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Only one is accessible experimentally.
- Electroweak scale:  
 $\sim 10^5 \text{ eV} = 10^{-4} \text{ GeV} \leftrightarrow \Lambda_{EW} \sim 246 \text{ GeV}$ . 6 orders of magnitude difference in scales.  
Both are accessible experimentally.

# Summary of results

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- The SM with mirror fermions can be treated both perturbatively and nonperturbatively (on the lattice consistent with gauge invariance).
- **Absence** of perturbative and nonperturbative anomalies!
- Right-handed neutrinos which can participate in the seesaw mechanism are *active* and *light* with mass between  $46 \text{ GeV}$  and  $246 \text{ GeV} \Rightarrow$  Accessible experimentally! Interesting signatures at the LHC (and the ILC).

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**Electroweak  $\nu_R \leftrightarrow$  SSB of SM.**
- Rich Higgs structure: Doublet and Triplet Higgses. Contains also doubly-charged scalars.
- Experimental implications in Lecture #4.